# High-Precision Branching Ratio Measurement for the Superallowed  $\beta^+$  Emitter  $^{74}\mathrm{Rb}$

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## Quark-Mixing and the CKM Matrix

- Weak Eigenstates  $\neq$  Mass **Eigenstates**
- Cabibbo-Kobayashi-Maskawa matrix quantifies mixing of eigenstates
- **Must** be Unitary in Standard Model (Important!)

• 
$$
\beta^+
$$
-decay:  $p \rightarrow n = uud \rightarrow udd$ 

$$
\left(\begin{array}{cc}\n\boxed{V_{ud}} & V_{us} & V_{ub} \\
\boxed{V_{cd}} & V_{cs} & V_{cb} \\
V_{td} & V_{ts} & V_{tb}\n\end{array}\right)
$$

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$$
V_{ud} = \frac{G_V}{G_F}
$$

$$
w
$$
\n
$$
g_w V_{ud} = -\frac{W^+}{2} \left\langle \frac{g_w}{2} \right\rangle
$$
\n
$$
d
$$
\n
$$
V_e
$$



#### Conserved-Vector-Current Hypothesis

- Motivated by similarity of Weak-vector current with Electromagnetic-vector current
- $\bullet$  A nucleus with  $Z$  protons has the same electric charge as  $Z$ free protons
- Likewise, other interactions do not appear to influence weak vector-current (unlike axial current)





- Protons and neutrons are different projections of the same particle
- Convention: *n* has  $T_3 = \frac{1}{2}$  $\frac{1}{2}$ , p has  $T_3 = -\frac{1}{2}$ 2
- Fermi Decay:  $p \to n$  can be represented by the isospin raising operator  $\hat{\tau}^+$
- $\bullet$  Only couples states with the same total isospin  $T$  called isobaric analogues



## Superallowed-Fermi- $\beta$  decay

Superallowed-Fermi-β decay:

- Decay between isobaric analogue states
- **•** Same total isospin, same nuclear wavefunctions
- $J^\pi: 0^+ \rightarrow 0^+$  which forbids axial vector contribution  $\rightarrow G_V$ Test

 $^{74}$ Rb $\rightarrow ^{74}$ Kr is a decay between states with:

$$
\bullet \, T = 1 \to T = 1
$$

$$
\bullet \, T_3 = 0 \rightarrow T_3 = 1
$$

$$
\bullet\ J^\pi=0^+\rightarrow J^\pi=0^+
$$



#### Superallowed-Fermi-β-Decay Rate

#### Fermi's Golden Rule

$$
f(Q, Z_D)t = \frac{const.}{|\overline{M}_{fi}|^2 g^2} \qquad \xrightarrow{\text{superallowed}} \qquad \xrightarrow{const.} \qquad \qquad \xrightarrow{2G_V^2}
$$

- $\left|\overline{M}_{fi}\right| =$ √ 2 from the SU(2) symmetry of isospin
- CVC Hypothesis  $\rightarrow ft$  should be "CONSTANT"
- Can extract  $G_V$  and  $V_{ud}$  since  $(G_V = G_F V_{ud})$

- $t \equiv$  Partial half-life (includes **branching ratio**)
- $\equiv$  Statisitcal rate function
- $Z_D \equiv$  Charge of Daughter Nucleus
	- $Q \equiv$  Difference in mass of mother and daughter





 $ft$  Values



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• Must consider QED, QCD effects

# $\overline{\mathcal{F}t}$  Correction  $\mathcal{F}t = ft(1 + \delta_R)(1 - \delta_c) = \frac{const.}{2G_V^2(1 + \Delta_R)}$

Nucleus Independent:

 $\Delta_R \equiv$  Radiative Correction  $(2.361 \pm 0.038)\%$ 

Nucleus Dependent:

$$
\delta_R \equiv \text{Radiusive Correction } (1.4-1.5)\%
$$
\n
$$
\delta_c \equiv \text{Isospin Symmetry Breaking Correction } (0.25-1.5)\%
$$
\n
$$
\text{Weylnering Correction } (0.25-1.5)\%
$$



#### World  $Ft$  Values





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## Measurement of the  $\delta_{c_1}$  Component

$$
\delta_c \approx \delta_{c_1} + \delta_{c_2}
$$

 $\delta_{c_{1}}$  is from configuration mixing between mother and daughter  $\delta_{c_{2}}$  is caused by imperfect radial overlap between initial and final states





## Pandemonium - Why <sup>74</sup>Rb is Hard







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## Pandemonium - Why  $^{74}$ Rb is Hard

- High Q-Value (10.4 MeV)  $\overline{^{74}}$ Rb
- $\bullet$  More than 400 excited states in  $^{74}$ Kr

 $0^+_-$ 

• Many weak transitions





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## Pandemonium - Why  $^{74}$ Rb is Hard

- High Q-Value (10.4 MeV)  $\sqrt[74]{Rb}$
- $\bullet$  More than 400 excited states in  $^{74}$ Kr
- Many weak transitions
- Unobserved but significant
- **Currently dominates BR uncertainty**
- Determining BR to some of these states will reduce uncertainty

 $0^+_-$ 

• Important  $2^+$  collector states







#### Experimental Setup

#### Experiment performed at TRIUMF in November 2010.



- $\bullet$  Collided 500 MeV protons onto a  $^{nat}$ Nb target
- <span id="page-18-0"></span>• TRIUMF Delivered 6500 ions/s <sup>74</sup>Rb

#### Experimental Setup -  $8\pi$



• Implanted RIB of  $^{74}$ Rb inside of a 20 Compton-Suppressed HPGe close-packed-detector array  $(8\pi)$ 

• Included 5 Si(Li) detectors (PACES) for measuring conversion electrons





#### Experimental Setup -  $8\pi$



• Included 10 plastic scintillators (SCEPTAR) for detecting  $\beta$  particles

• Tape system to limit long-lived contaminants





## Counting  $\beta$ 's





## Identifying <sup>74</sup>Rb Transitions





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## PACES Spectrum

















 $^{74}$ Kr

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 $\beta$ -decay to the  $1^\text{st}$  excited  $0^+$  state at 509 kev:

$$
BR_1 \le 0.030\% \qquad \qquad \frac{f_0}{f_1} = 1.3
$$



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How is Theory Doing?

 $\beta$ -decay to the  $1^\text{st}$  excited  $0^+$  state at 509 kev:

 $BR_1 \leq 0.030\%$  $\frac{J_0}{f_1} = 1.3$ 

$$
\delta_{C_1}^{(1)} = BR_1 \frac{f_0}{f_1} \leq 0.039\% \hspace{1cm} \text{Theory} = 0.05\%
$$

#### Conclusion



 $\beta$ -decay to the  $1^\text{st}$  excited  $0^+$  state at 509 kev:

 $BR_1 \leq 0.030\%$  $\frac{J_0}{f_1} = 1.3$ 

$$
\delta_{C_1}^{(1)} = BR_1 \frac{f_0}{f_1} \leq 0.039\% \hspace{1cm} \text{Theory} = 0.05\%
$$

#### Conclusion

Theory is overestimating the configuration mixing!  $(^{62}$ Ga,  $^{74}$ Rb)



## Summary

- Currently have identified 22 excited states and 54  $\gamma$ -ray transitions
- $\bullet \approx 30\%$  improvement in superallowed branching ratio uncertainty
- Theory is overestimating configuration mixing of isospin
- Result will guide corrections for precision tests of the Standard Model (CVC, CKM)



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Determine  $\gamma$ -ray(conversion  $e^-$ )- $BR$ 's



$$
BR(\beta)_{superallowed} = 1 - \sum BR(\beta)_{nonsuperallowed}
$$



## Fractional Uncertainties



## $V_{ud}$  Precision



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Assuming isospin is a perfect symmetry,  $\beta^+$  decay from analogue $(T=T')$   $0^+ \rightarrow 0^+$  gives:

$$
\left|\overline{M}_{fi}(F)\right|^2 = \left|\langle T, T_3 - 1|\hat{\tau}^{-}|T, T_3\rangle\right|^2
$$
  
=  $(T + T_3)(T - T_3 + 1)$ 

if we use a  $T = 1$  isotriplette and  $T_3 = 0 \rightarrow T_3 = -1$ 

$$
\left|\overline{M}_{fi}(F)\right|^2=2
$$



## Escape-peak Calibration

