HIGH p_T DIHADRON VS. SINGLE HADRON SUPPRESSION

— what is different?

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INTRODUCTION What information is in R_{AA} at RHIC? TOMOGRAPHY USING R_{AA} - opening the kinematic window TOMOGRAPHY BEYOND R_{AA} - γ -hadron correlations - R_{AA} vs. reaction plane - dihadron correlations CONCLUSIONS

HARD P-P COLLISIONS



$$d\sigma^{NN \to h+X} = \sum_{fijk} f_{i/N}(x_1, Q^2) \otimes f_{j/N}(x_2, Q^2) \otimes \hat{\sigma}_{ij \to f+k} \otimes D_{f \to h}^{vac}(z, \mu_f^2)$$

HARD AU-AU COLLISIONS



$$d\sigma_{med}^{AA \to \pi+X} = \sum_{f} d\sigma_{vac}^{AA \to f+X} \otimes \langle P_f(\Delta E, E) \rangle_{T_{AA}} \otimes D_{f \to \pi}^{vac}(z, \mu_F^2)$$

$$d\sigma_{vac}^{AA \to f+X} = \sum_{ijk} f_{i/A}(x_1, Q^2) \otimes f_{j/A}(x_2, Q^2) \otimes \hat{\sigma}_{ij \to f+k}$$

Idea of jet tomography:

- use a (comparatively) well-known calculable process in vacuum
- embed it into a medium
- \Rightarrow infer medium properties from the changes

New ingredients from p-p to A-A collisions:

- $f_{i/N}(x_1, Q^2) \rightarrow f_{i/A}(x_1, Q^2)$ (can be studied in p-A collisions)
- vertex-averaged energy loss probability $\langle P_f(\Delta E, E) \rangle_{T_{AA}}$
- \Rightarrow medium-modified hard processes \Leftrightarrow access to averages of energy-loss probabilities

 $\langle P(\Delta E, E) \rangle$ depends on:

(1) interaction of medium and hard parton

(2) spacetime distribution of medium density relative to hard vertices

To study (2), this must be disentangled from (1)!



is (in the fragmentation region) uniquely determied by

$$p_{had} = p_{part} \otimes \langle P(\Delta E, E) \rangle_{T_{AA}} \otimes D_{f \to \pi}^{vac}(z, \mu_F^2)$$

Can we invert this relation to infer $\langle P(\Delta E, E) \rangle_{T_{AA}}$ from R_{AA} ?



Hard vertices for impact parameter \mathbf{b} have a probability distribution given by

$$P(x_0, y_0) = \frac{T_A(\mathbf{r_0} + \mathbf{b}/2)T_A(\mathbf{r_0} - \mathbf{b}/2)}{T_{AA}(\mathbf{b})},$$

where $T_A(\mathbf{r}) = \int dz \rho_A(\mathbf{r}, z)$.

If the probability of energy loss along a given path (determined by medium, vertex $\mathbf{r_0} = (x_0, y_0)$, rapidity y and transverse angle ϕ is $P(\Delta E, E)_{path}$ we can define:

$$\langle P(\Delta E, E) \rangle_{T_{AA}} = \frac{1}{2\pi} \int_0^{2\pi} d\phi \int_{-\infty}^{\infty} dx_0 \int_{-\infty}^{\infty} dy_0 P(x_0, y_0) P(\Delta E, E)_{path}.$$

The medium information is now in details of $P(\Delta E, E)_{path}$. For R_{AA} , this is averaged over the overlap geometry.

Is the observed R_{AA} due to absorption of 80% of all partons while the rest escapes unmodified?



 $P(\Delta E, E) = 0.2\delta(\Delta E) + 0.8\delta(\Delta E - E) \quad \text{(downward shift)}$

Or is the observed R_{AA} due a small shift of the energy of all partons?



 $P(\Delta E, E) = \delta(\Delta E - 2 \,\text{GeV})$ (sideward shift)

Difficult to distinguish in a limited kinematic range:



In general, any combination of downward and sideward shift might occur!

How well does R_{AA} in constraining $\langle P(\Delta E, E) \rangle_{T_{AA}}$?

Consider some very different T_{AA} averaged trial energy loss probabilities:



(with the understanding that a parton with less than 500 MeV energy is absorbed into the medium)

How well does R_{AA} in constraining $\langle P(\Delta E, E) \rangle_{T_{AA}}$?

 R_{AA} does not strongly constrain the energy loss probability distribution:



usually 1-parameter tuning brings a trial $\langle P(\Delta E, E) \rangle_{T_{AA}}$ distribution to the data:

Quenching has to be substantial, but we don't really measure even $\langle P(\Delta E, E) \rangle_{T_{AA}}!$

DIFFERENCES IN DETAIL

Strong explicit dependence of on initial energy E seems to be ruled out. To first order:

• all probability distributions yield flat lines \Rightarrow why?

To second order:

- systematic differences at high p_T
- \Rightarrow reflect the presence or absence of a scale in $\langle P(\Delta E, E) \rangle_{T_{AA}}$

What properties of $\langle P(\Delta E, E) \rangle_{T_{AA}}$ cause this?

$$\langle P(\Delta E) \rangle_{T_{AA}} = T\delta(\Delta E) + S \cdot P(\Delta E) + A \cdot \delta(\Delta E - E)$$

- T: 'transmission', no energy loss
- S: 'shift', parton emerges after finite energy loss, 'sideward shift' of spectrum
- A: 'absorption', parton thermalizes, 'downward shift' of spectrum



- 'shift' or 'absorption' depends on the scale at which this is probed
- large fluctuations, large discrete escape probability
- RHIC medium is so dense $\Rightarrow O(100)$ GeV quark to guarantee punchthrough
- \Rightarrow in accessible p_T -range: (almost) either absorption or transmission
- but: different quenching properties for quarks and gluons

Can this be exploited?

C. A. Salgado and U. A. Wiedemann, Phys. Rev. D ${\bf 68}$ (2003) 014008.

Generically, gluons have stronger interaction with the medium (different color factor)

Idea: find probes which are dominated by

- quark fragmentation (D- and B-meson production, not topic of this talk)
- both quark and gluon fragmentation (pions)
- gluon fragmentation (protons, according to AKK fragmentation function)

If the medium is very dilute. . .

... energy loss happens throughout the medium inducing *shift*

 \Rightarrow the probes should show different suppression

If the medium is very dense. . .

... a completely absorbing core is surrounded by a transmitting halo, suface bis \Rightarrow the probes should show the same suppression

EXPERIMENTAL EVIDENCE



Experimentally, pion and proton suppression seems similar

 \Rightarrow in agreement with strong absorption, no evidence for shift

A SIMPLE MODEL

- assume a power-law spectrum $\sim 1/p_T^n$ ($n \approx 7, 8$ at RHIC)
- for massless partons, energy loss ΔE changes the spectrum to $1/(p_T + \Delta E)^n$, thus

$$R_{AA} \approx \int d\Delta E \langle P(\Delta E) \rangle_{T_{AA}} 1 / (1 + \frac{\Delta E}{p_T})^n$$

- \bullet approximate expressions for shift term $P(\Delta E)$
- \Rightarrow decent description of R_{AA}



A SIMPLE MODEL

- suppression by $\Delta E \Leftrightarrow$ penalty factor $S(\Delta E) = 1/(1 + \frac{\Delta E}{p_T})^n$
- at a scale p_T , we observe $\langle P(\Delta E) \rangle_{T_{AA}}$ through this filter



 \Rightarrow shift becomes unobservable long before $\Delta E\approx E$

 \Rightarrow at RHIC, p_T can never be enough to observe more than the onset of $\langle P(\Delta E) \rangle_{T_{AA}}$ \Rightarrow on the other hand, parametrically a rise of R_{AA} with p_T is unavoidable

 \Rightarrow This seems to be the fundamental reason for the observed flatness of R_{AA}

WHAT CAN LHC DO?

When going to higher energies

- the medium density grows like $\sim \log(\sqrt{s})$ (PHOBOS) or $\sim \sqrt{(s)^{0.574}}$ (EKRT)
- \bullet the kinematically accessible region grows like $\sim \sqrt{s}/2$

 \Rightarrow the kinematical window will always win out

 \Rightarrow quite generic expectation for a rise of R_{AA} in the p_T range of LHC

since the reason for the rise is the shift term becoming more and more visible

Magnitude and shape of the rise will reflect the shape of the underlying energy loss probability distribution - needs high statistics and large p_T range

SIMPLE MODEL FOR LHC

- choose $\langle \Delta E \rangle_{LHC} = 6 \langle \Delta E \rangle_{RHIC}$ (EKRT)
- \bullet LHC spectrum is harder, $n\approx 4$



For p_T at same fraction of \sqrt{s} from RHIC to LHC, much more of the shift is seen!

FULL CALCULATION FOR LHC

- minijets and initial state saturation for initial state
- hydrodynamics with RHIC-tested parameters
- jet-quenching in this soft medium with RHIC-tested parameters



 \Rightarrow detailed calculation shows a rise compatible with the result from the simple model \Rightarrow details of the rise reflect p_T -shift vs. parton absorption

SINGLE HADRON OBSERVABLES

- + value of R_{AA} indicates strong quenching
- + flat R_{AA} and proton R_{AA} point to dominance of absorption
- small sensitivity to shift, hence little tomographical information
- difficult to disentangle medium geometry and energy loss
- + expected to improve at LHC

Improvements are possible: R_{AA} vs. reaction plane and R_{AA} for different system size provide systematic variations of pathlength

DIHADRON CORRELATIONS



DIHADRON CORRELATIONS

Near side:

- hard parton energy (and type)
- \Rightarrow parton spectra from LO pQCD
- \Rightarrow vertex sampling from nuclear overlap
- \Rightarrow probabilistic ΔE for in-medium path
- \rightarrow fragment and check against near side trigger threshold

Away side:

- intrinsic k_T
- \Rightarrow chosen such that d-Au width of far side peak is reproduced
- \Rightarrow away side probabilistic ΔE from in-medium path
- \Rightarrow near and away side (N)L fragmentation
- \rightarrow count emerging hadrons above associate threshold

Contains all information on trigger bias, pathlength distribution, nuclear density...

DENSITY MODELS



Probability density of triggered event vertices 8 GeV $< p_T < 15$ GeV (near side $\equiv -x$):



The away side yield must be averaged over this distribution rather than $\frac{[T_A(\mathbf{r_0})]}{T_{AA}(0)}$

 \Rightarrow expect different away side suppression even for identical R_{AA}

T. Renk and K. J. Eskola, Phys. Rev. C 75 (2007) 054910

DIHADRON CORRELATIONS

Massive additional suppression (yield per trigger factor 4 smaller than for $\langle L_n \rangle = \langle L_a \rangle$)



Near side: Calculations agree well with data (dominance of $T\delta(\Delta E)$) Away side: Deviations in the 4-6 GeV momentum bin \rightarrow recombination discrimination between models with *almost identical* R_{AA}

Some sensitivity to medium density distribution

T. R. and K. J. Eskola, Phys. Rev. C 75 (2007) 054910

DIHADRON CORRELATIONS

Away side: z_T -distributions $(p_T^{assoc} = z_T \cdot p_T^{trig})$:



No additional information, shape consistent with all density models but black core

The medium is strongly absorbing, but not completely surface dominated

More leverage in momentum: 15 – 20 GeV trigger



T. R. and K. J. Eskola, Phys. Rev. C 75 (2007) 054910

ORIGIN OF DIHADRONS

Trigger: 8 GeV $< p_T < 15$ GeV, associate 4 GeV $< p_T < 6$ GeV



T. R. and K. J. Eskola, Phys. Rev. C 75 (2007) 054910

DIHADRONS AT LHC



Some degree of surface bias for lower p_T at LHC

y [fm]

HARD DI-HADRON CORRELATIONS

- + tomographical information beyond R_{AA}
- + probes medium center
- + very suited to large momentum lever-arm at LHC
- test of a density model, not measurement of a density
- needs high precision

If sufficient precision can be reached and the parton-medium interaction can be established, information about the medium density can be inferred from this observable.

SUMMARY

- Jet quenching is established
- \Rightarrow now we're capable of addressing quantitative questions
- R_{AA} is of limited value for medium tomography
- but we have other measurements to overcome this problem:
 - * $\gamma\text{-hadron}$ correlations: T_{AA} averaged energy loss probability * dihadron correlations: density distribution at medium center
 - $* R_{AA}$ vs. reaction plane: early hydro evolution at edge
- we need:
 - * good medium models
 - * refined jet-medium interaction models
 - * high precision data

Lots of exciting results still to come!